

Some Literature on Extended Formulations

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This is a list of some references that might be interesting in connection with my presentations during the spring school on *Extended Formulations in Combinatorial Optimization* held May 19–20, 2016, on the occasion of ISCO 2016 in Vietri Sul Mare.

References

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