IASD M2 at Paris Dauphine

#### Deep Reinforcement Learning

#### 22: Transfer and Multi-Task Learning

Eric Benhamou Thérèse Des Escotais



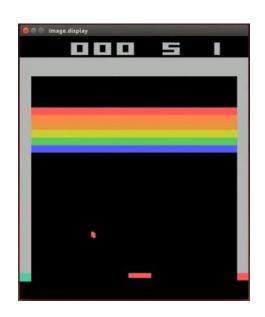
#### Acknowledgement

These materials are based on the seminal course of Sergey Levine CS285



## What's the problem?

#### this is easy (mostly)

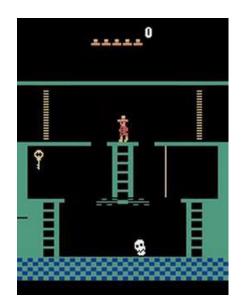


#### this is impossible



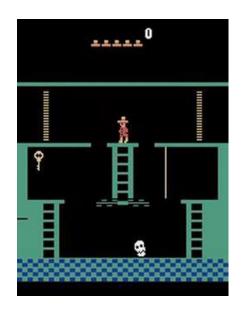
Why?

### Montezuma's revenge



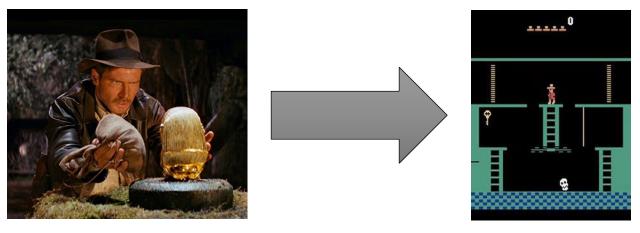
- Getting key = reward
- Opening door = reward
- Getting killed by skull = bad

## Montezuma's revenge



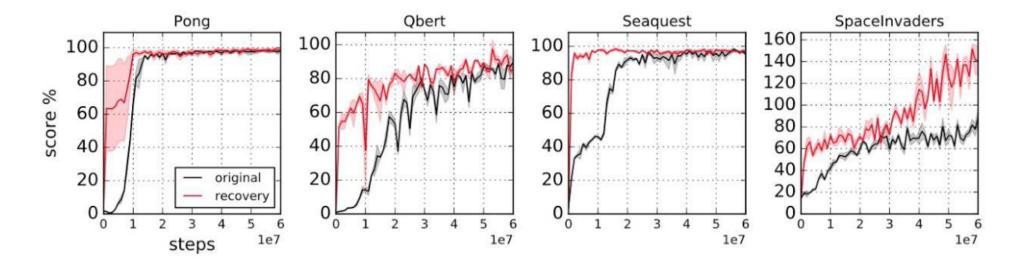
- We know what to do because we **understand** what these sprites mean!
- Key: we know it opens doors!
- Ladders: we know we can climb them!
- Skull: we don't know what it does, but we know it can't be good!
- Prior understanding of problem structure can help us solve complex tasks quickly!

# Can RL use the same prior knowledge as us?



- If we've solved prior tasks, we might acquire useful knowledge for solving a new task
- How is the knowledge stored?
  - Q-function: tells us which actions or states are good
  - Policy: tells us which actions are potentially useful
    - some actions are never useful!
  - Models: what are the laws of physics that govern the world?
  - Features/hidden states: provide us with a good representation
    - Don't underestimate this!

#### Aside: the representation bottleneck



To decouple reinforcement learning from representation learning, we decapitate an agent by destroying its policy and value outputs and then re-train end-to-end. The representation remains and the policy is swiftly recovered. **The gap between initial optimization and recovery shows a representation learning bottleneck**.

slide adapted from E. Schelhamer, "Loss is its own reward"

# Transfer learning terminology

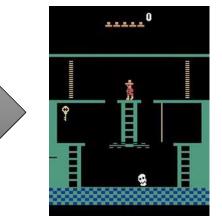
**transfer learning:** using experience from <u>one set of tasks</u> for faster learning and better performance on a <u>new task</u>

#### in RL, task = MDP!

source domain



#### target domain



**"shot":** number of attempts in the target domain

**1shot:** just run a policy trained in the source domain

2 shot: try the task once

few shot: try the task a few times

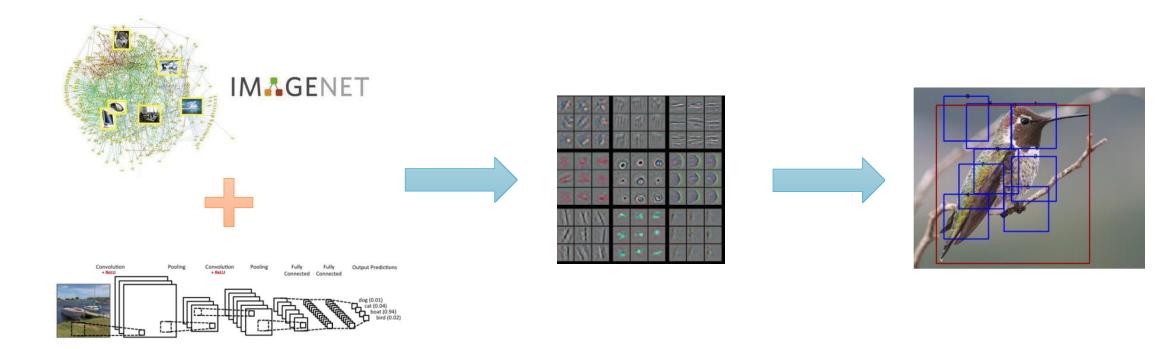
How can we frame transfer learning problems? No single solution! Survey of various recent research papers

- 1. Forward transfer: train on one task, transfer to a new task
  - a) Transferring visual representations & domain adaptation
  - b) Domain adaptation in reinforcement learning
  - c) Randomization
- 2. Multi-task transfer: train on many tasks, transfer to a new task
  - a) Sharing representations and layers across tasks in multi-task learning
  - b) Contextual policies
  - c) Optimization challenges for multi-task learning
  - d) Algorithms
- 3. Transferring models and value functions
  - a) Model-based RL as a mechanism for transfer
  - b) Successor features & representations

#### Forward Transfer

## Pretraining + Finetuning

The most popular transfer learning method in (supervised) deep learning!



## What issues are we likely to face?

Domain shift: representations learned in the source domain might not work well in the target domain

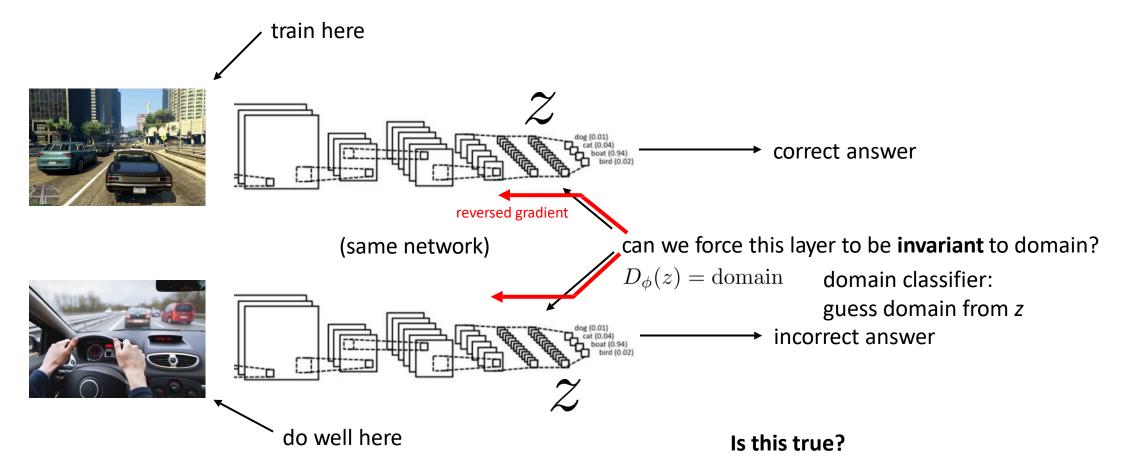
Difference in the MDP: some things that are possible to do in the source domain are not possible to do in the target domain

Finetuning issues: if pretraining & finetuning, the finetuning process may still need to explore, but optimal policy during finetuning may be deterministic!





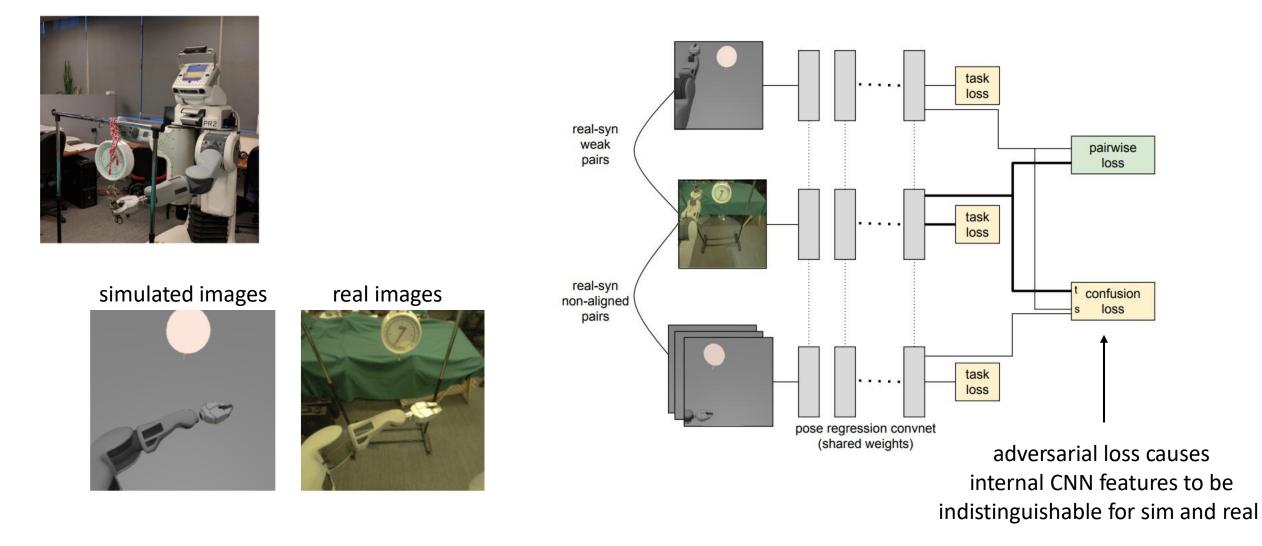
#### Domain adaptation in computer vision



**Invariance assumption:** everything that is **different** between domains is **irrelevant** formally:

p(x) is different exists some z = f(x) such that p(y|z) = p(y|x), but p(z) is same

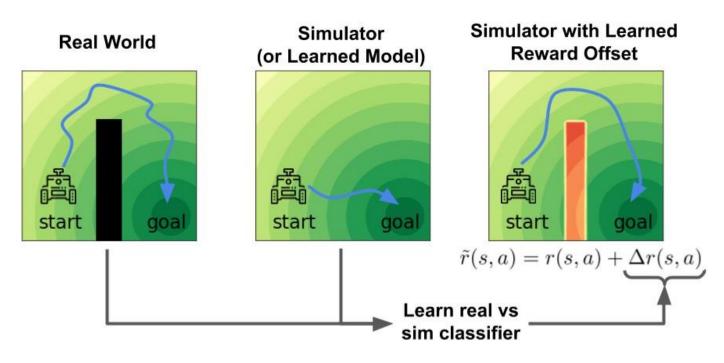
#### How do we apply this idea in RL?



Tzeng\*, Devin\*, et al., "Adapting Visuomotor Representations with Weak Pairwise Constraints"

# Domain adaptation in RL for dynamics?

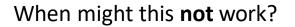
Why is **invariance** not enough when the dynamics don't match?



 $\Delta r(s_t, a_t, s_{t+1}) = \log p_{\text{target}}(s_{t+1} \mid s_t, a_t) - \log p_{\text{source}}(s_{t+1} \mid s_t, a_t).$ 







 $\Delta r(s_t, a_t, s_{t+1}) = \log p( ext{target} \mid s_t, a_t, s_{t+1}) - \log p( ext{target} \mid s_t, a_t)$ 

Eysenbach et al., "Off-Dynamics Reinforcement Learning" fraining for Transfer with Domain Classifiers"

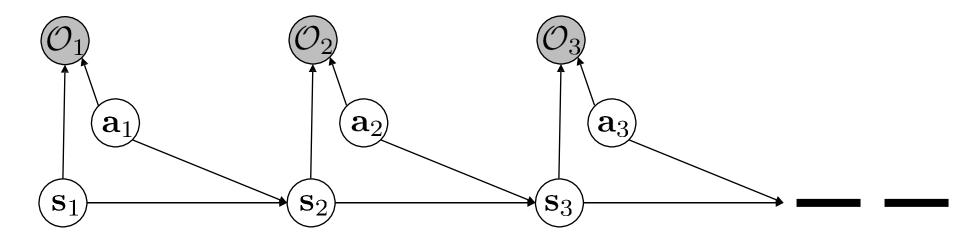
# What if we can also finetune?

- 1. RL tasks are generally much less diverse
  - Features are less general
  - Policies & value functions become overly specialized
- 2. Optimal policies in fully observed MDPs are deterministic
  - Loss of exploration at convergence
  - Low-entropy policies adapt very slowly to new settings



### Finetuning with maximum-entropy policies

How can we increase diversity and entropy?

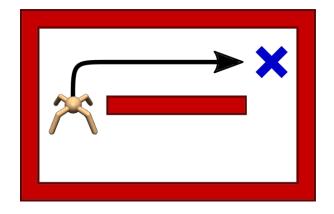


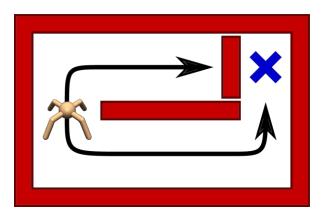
 $\pi(\mathbf{a}|\mathbf{s}) = \exp(Q_{\phi}(\mathbf{s}, \mathbf{a}) - V(\mathbf{s})) \text{ optimizes } \sum_{t} E_{\pi(\mathbf{s}_{t}, \mathbf{a}_{t})}[r(\mathbf{s}_{t}, \mathbf{a}_{t})] + E_{\pi(\mathbf{s}_{t})}[\mathcal{H}(\pi(\mathbf{a}_{t}|\mathbf{s}_{t}))]$ 

policy entropy

Act as randomly as possible while collecting high rewards!

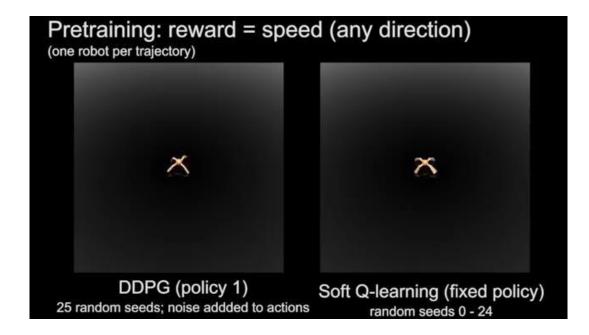
#### Example: pre-training for robustness

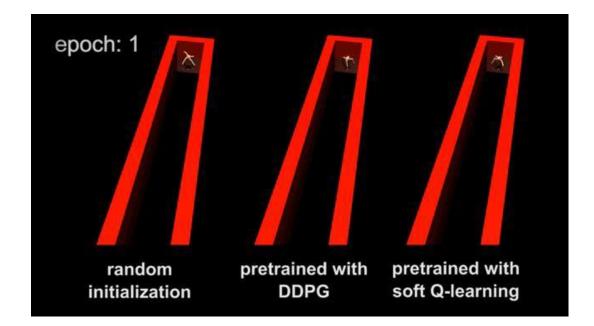


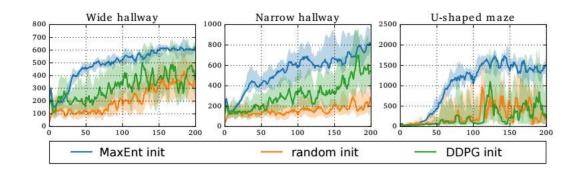


Learning to solve a task **in all possible ways** provides for more robust transfer!

#### Example: pre-training for diversity







Haarnoja\*, Tang\*, et al. "Reinforcement Learning with Deep Energy-Based Policies"

## Domain adaptation: suggested readings

Tzeng, Hoffman, Zhang, Saenko, Darrell. **Deep Domain Confusion: Maximizing for Domain Invariance**. 2014.

Ganin, Ustinova, Ajakan, Germain, Larochelle, Laviolette, Marchand, Lempitsky. **Domain-Adversarial Training of Neural Networks**. 2015.

Tzeng\*, Devin\*, et al., Adapting Visuomotor Representations with Weak Pairwise Constraints. 2016.

Eysenbach et al., Off-Dynamics Reinforcement Learning: Training for Transfer with Domain Classifiers. 2020.

...and many many others!

#### Finetuning: suggested readings

Finetuning via MaxEnt RL: Haarnoja\*, Tang\*, et al. (2017). Reinforcement Learning with Deep Energy-Based Policies.

Andreas et al. Modular multitask reinforcement learning with policy sketches. 2017.

Florensa et al. Stochastic neural networks for hierarchical reinforcement learning. 2017.

Kumar et al. One Solution is Not All You Need: Few-Shot Extrapolation via Structured MaxEnt RL. 2020

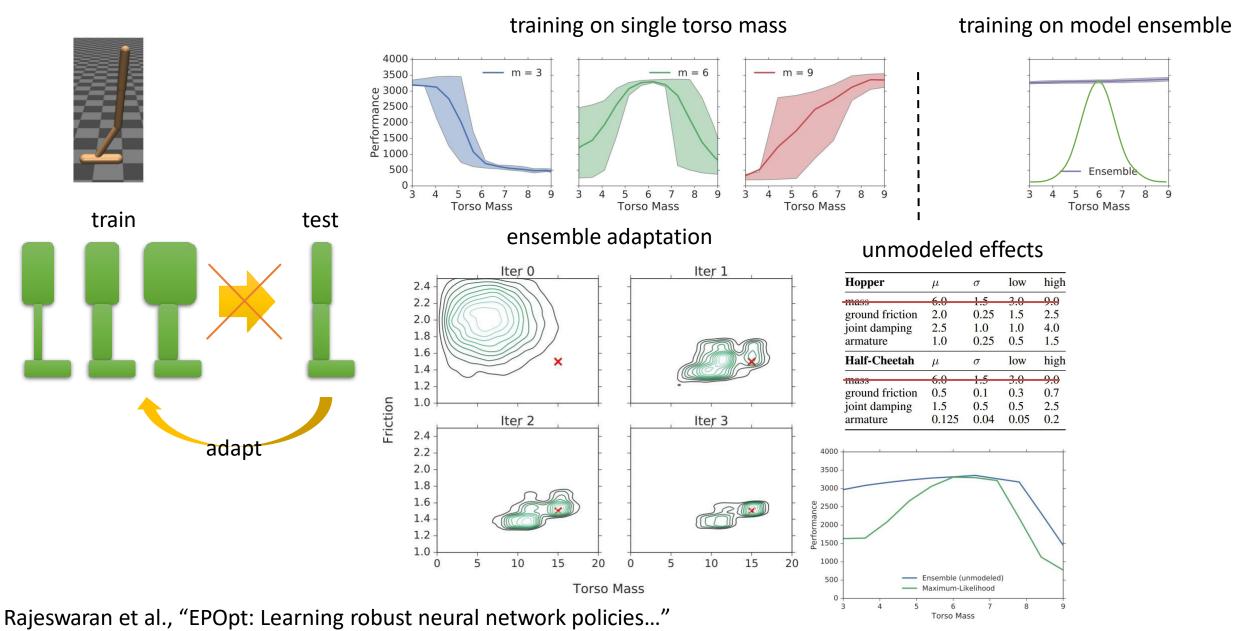
...and many many others!

#### Forward Transfer with Randomization

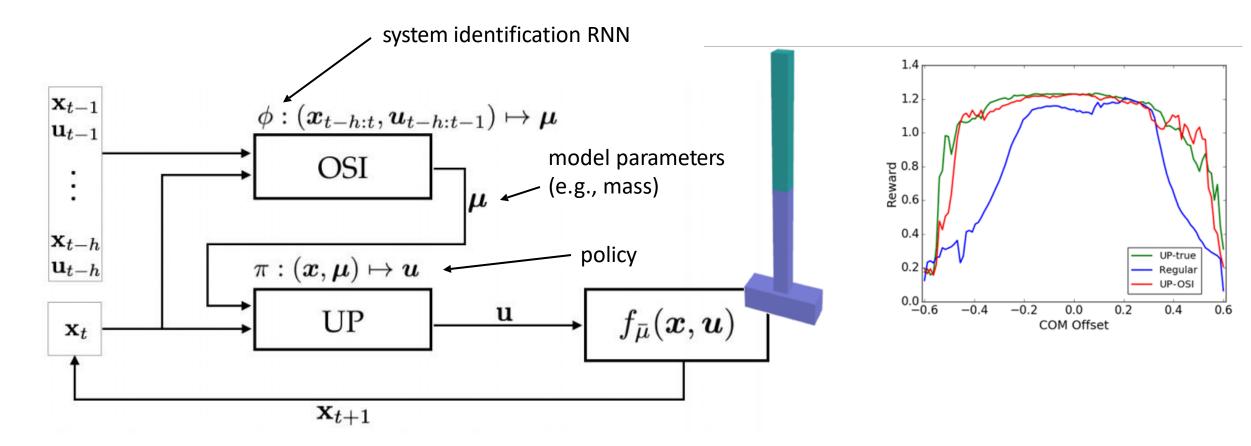
## What if we can manipulate the source domain?

- So far: source domain (e.g., empty room) and target domain (e.g., corridor) are fixed
- What if we can **design** the source domain, and we have a **difficult** target domain?
  - Often the case for simulation to real world transfer

# EPOpt: randomizing physical parameters

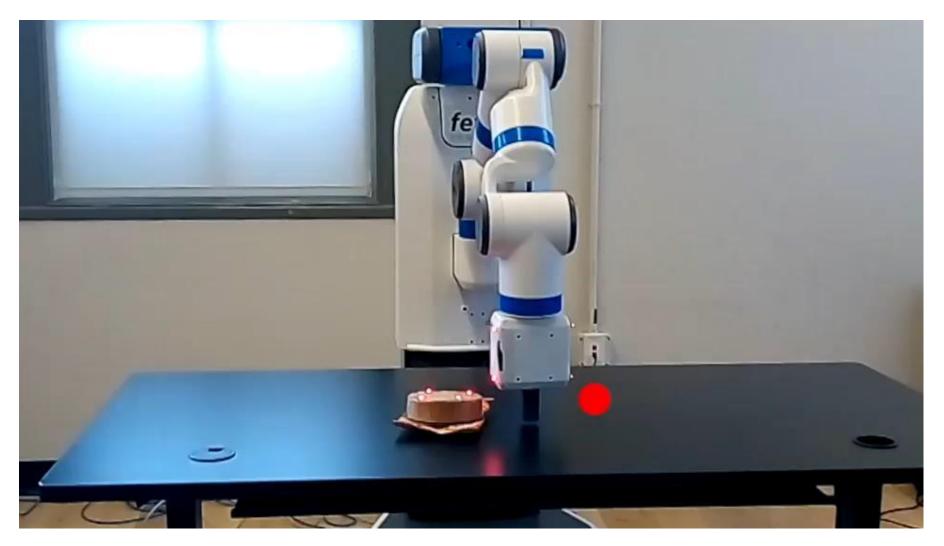


#### Preparing for the unknown: explicit system ID



Yu et al., "Preparing for the Unknown: Learning a Universal Policy with Online System Identification"

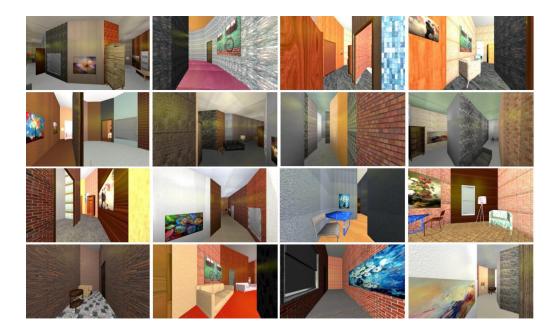
#### Another example



Xue Bin Peng et al., "Sim-to-Real Transfer of Robotic Control with Dynamics Randomization"

#### CAD2RL: randomization for real-world control



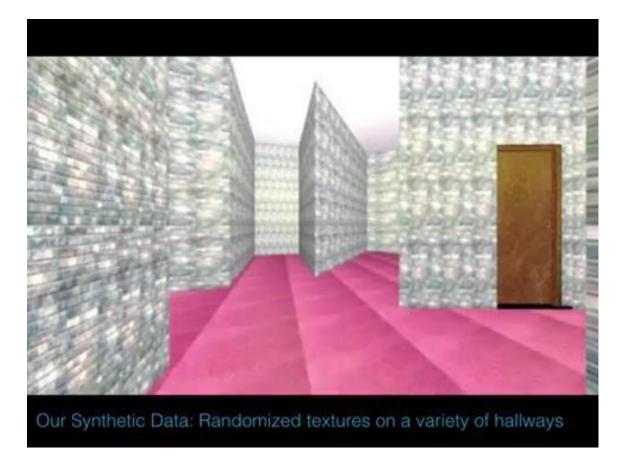


#### also called domain randomization

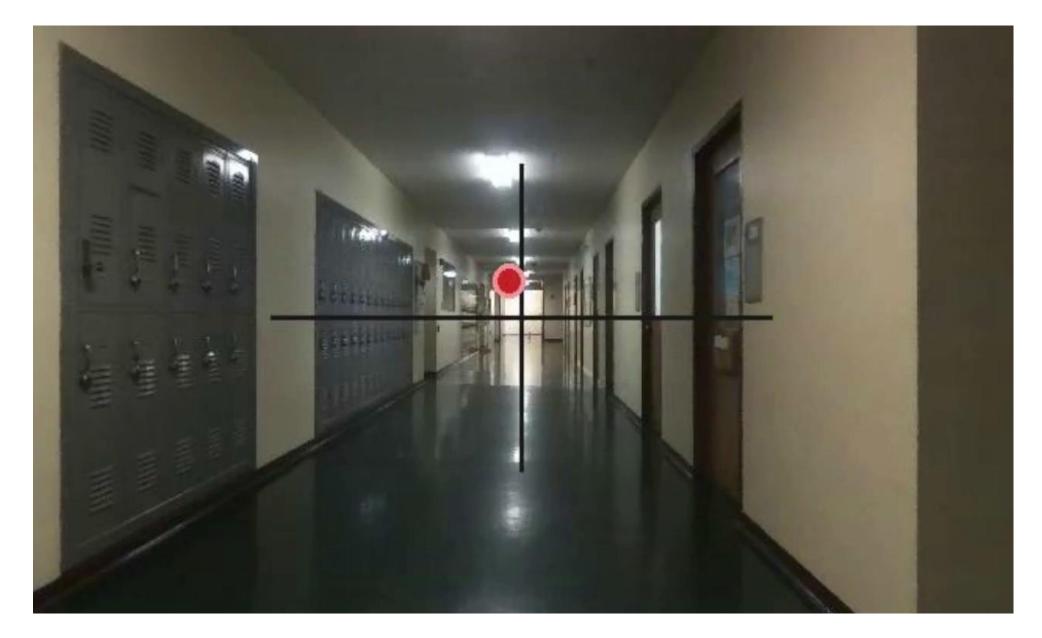
Sadeghi et al., "CAD2RL: Real Single-Image Flight without a Single Real Image"

#### CAD2RL: randomization for real-world control



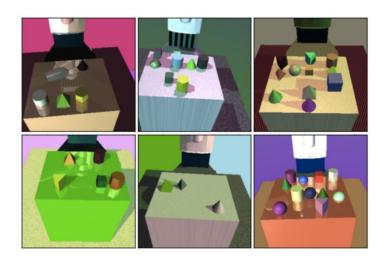


Sadeghi et al., "CAD2RL: Real Single-Image Flight without a Single Real Image"

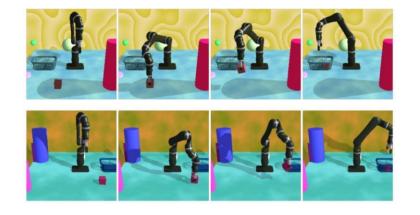


Sadeghi et al., "CAD2RL: Real Single-Image Flight without a Single Real Image"

#### Randomization for manipulation



#### Tobin, Fong, Ray, Schneider, Zaremba, Abbeel



James, Davison, Johns

# Source domain randomization and domain adaptation suggested readings

Rajeswaran, et al. (2017). EPOpt: Learning Robust Neural Network Policies Using Model Ensembles.

Yu et al. (2017). Preparing for the Unknown: Learning a Universal Policy with Online System Identification.

Sadeghi & Levine. (2017). CAD2RL: Real Single Image Flight without a Single Real Image.

Tobin et al. (2017). Domain Randomization for Transferring Deep Neural Networks from Simulation to the Real World.

James et al. (2017). Transferring End-to-End Visuomotor Control from Simulation to Real World for a Multi-Stage Task.

Methods that **also** incorporate domain adaptation together with randomization:

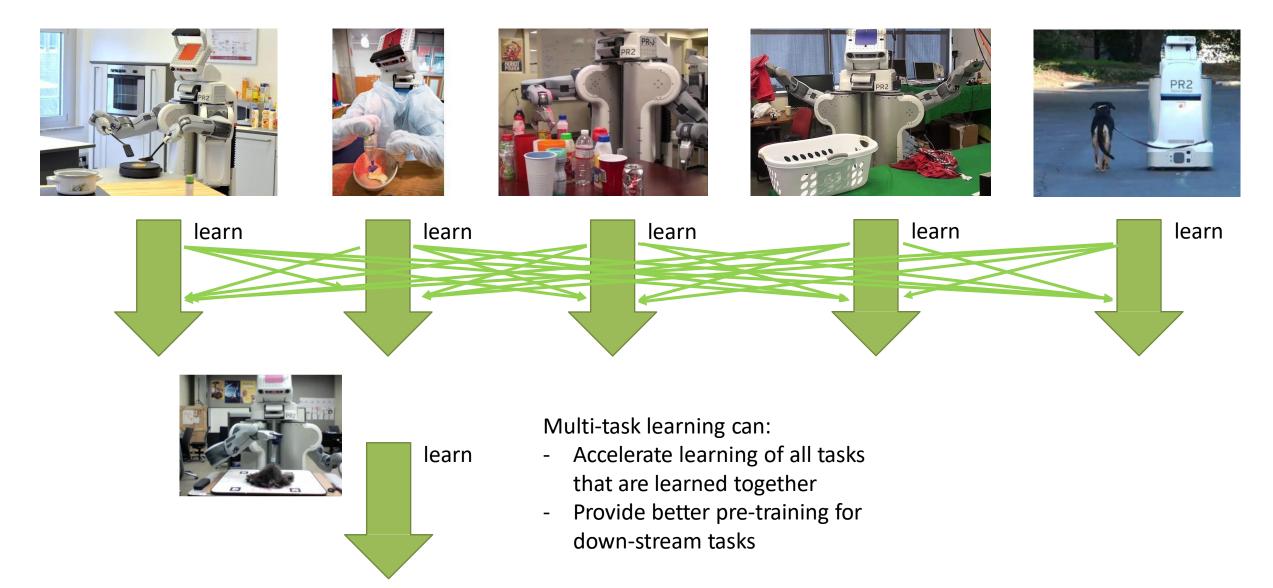
Bousmalis et al. (2017). Using Simulation and Domain Adaptation to Improve Efficiency of Deep Robotic Grasping.

Rao et al. (2017). RL-CycleGAN: Reinforcement Learning Aware Simulation-To-Real.

... and many many others!

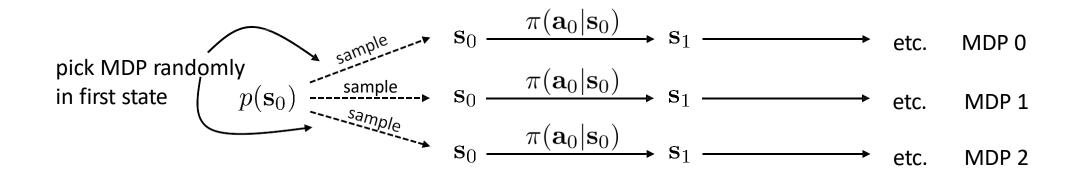
#### Multi-Task Transfer

#### Can we learn faster by learning multiple tasks?



#### Can we solve multiple tasks at once?

Multi-task RL corresponds to single-task RL in a joint MDP



#### What is difficult about this?

- Gradient interference: becoming better on one task can make you worse on another
- Winner-take-all problem: imagine one task starts getting good algorithm is likely to prioritize that task (to increase average expected reward) at the expensive of others

> In practice, this kind of multi-task RL is very challening

#### Actor-mimic and policy distillation

#### Goal: learn a single policy that can play all Atari games

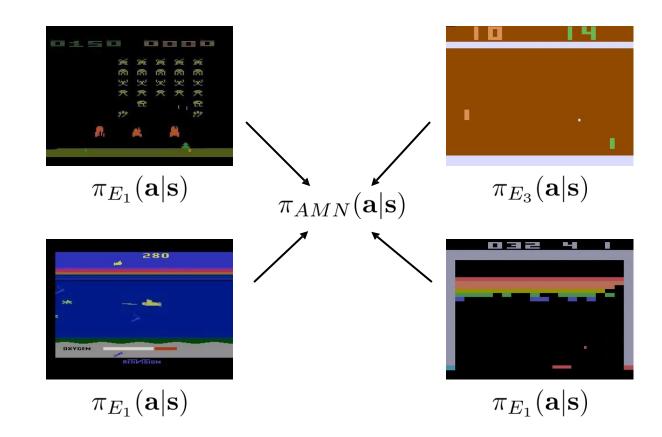
#### POLICY DISTILLATION

Andrei A. Rusu, Sergio Gómez Colmenarejo, Çağlar Gülçehre; Guillaume Desjardins, James Kirkpatrick, Razvan Pascanu, Volodymyr Mnih, Koray Kavukcuoglu & Raia Hadsel Google DeepMind

ACTOR-MIMIC DEEP MULTITASK AND TRANSFER REINFORCEMENT LEARNING

Emilio Parisotto, Jimmy Ba, Ruslan Salakhutdinov Department of Computer Science University of Toronto

## Distillation for Multi-Task Transfer



$$\mathcal{L} = \sum_{\mathbf{a}} \pi_{E_i}(\mathbf{a}|\mathbf{s}) \log \pi_{AMN}(\mathbf{a}|\mathbf{s})$$

(just supervised learning/distillation)

analogous to guided policy search, but
for transfer learning
-> see model-based RL slides

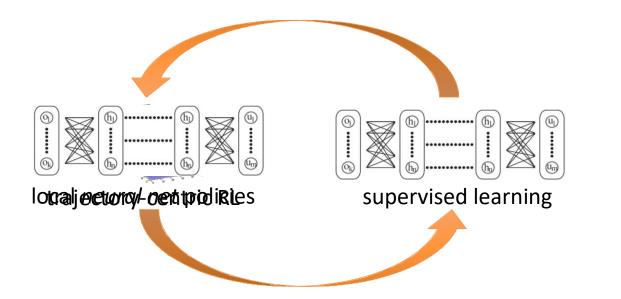
some other details

(e.g., feature regression objective)

- see paper

Parisotto et al. "Actor-Mimic: Deep Multitask and Transfer Reinforcement Learning"

## Combining weak policies into a strong policy



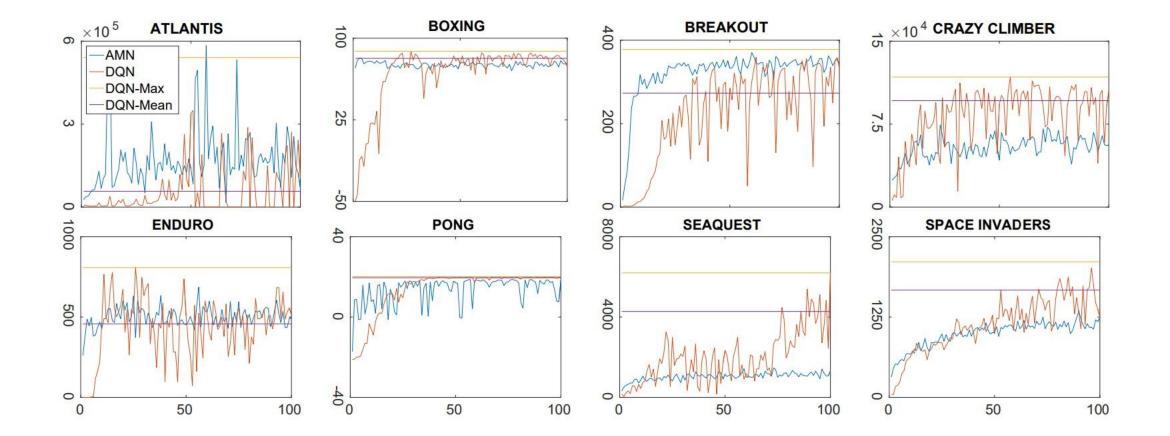
Divide and Conquer Reinforcement Learning

Divide and conquer reinforcement learning algorithm sketch:

- 1. optimize each local policy  $\pi_{\theta_i}(\mathbf{a}_t|\mathbf{s}_t)$  on initial state  $\mathbf{s}_{0,i}$  w.r.t.  $\tilde{r}_{k,i}(\mathbf{s}_t,\mathbf{a}_t)$ 
  - 2. use samples from step (1) to train  $\pi_{\theta}(\mathbf{u}_t | \mathbf{x}_t)$  to mimic each  $\pi_{\theta_i}(\mathbf{u}_t | \mathbf{x}_t)$
- 3. update reward function  $\tilde{r}_{k+1,i}(\mathbf{x}_t, \mathbf{u}_t) = r(\mathbf{x}_t, \mathbf{u}_t) + \lambda_{k+1,i} \log \pi_{\theta}(\mathbf{u}_t | \mathbf{x}_t)$

For details, see: "Divide and Conquer Reinforcement Learning"

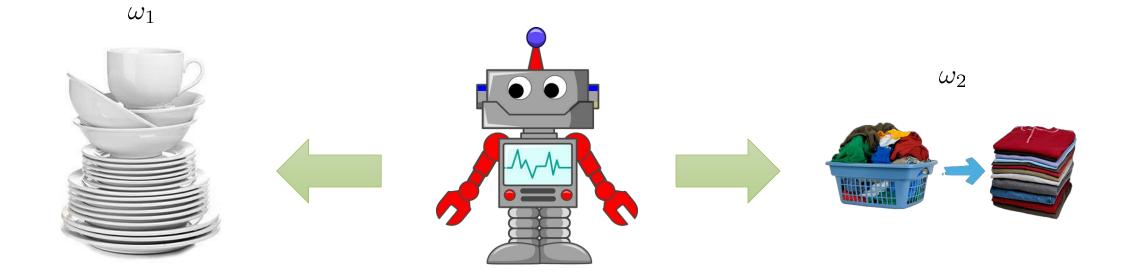
## **Distillation Transfer Results**



Parisotto et al. "Actor-Mimic: Deep Multitask and Transfer Reinforcement Learning"

## How does the model know what to do?

- So far: what to do is apparent from the input (e.g., which game is being played)
- What if the policy can do *multiple* things in the *same* environment?



## Contextual policies



e.g., do dishes or laundry

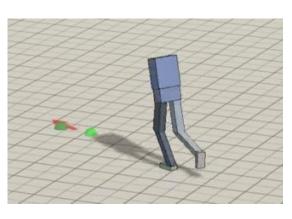
formally, simply defines augmented state space:

$$\tilde{\mathbf{s}} = \begin{bmatrix} \mathbf{s} \\ \omega \end{bmatrix}$$

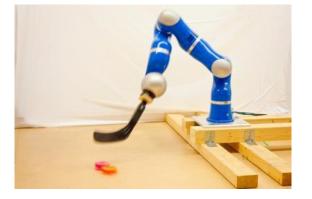
$$ilde{\mathcal{S}} = \mathcal{S} imes \Omega$$



 $\omega$ : stack location



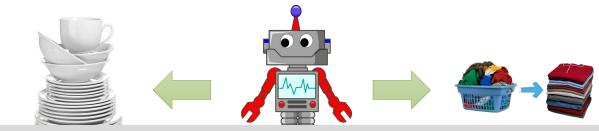
 $\omega :$  walking direction



 $\omega$ : where to hit puck

## Contextual policies

standard policy:  $\pi_{\theta}(\mathbf{a}|\mathbf{s})$ 

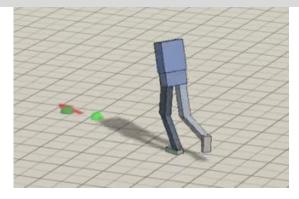


#### contextual policy: $\pi_{\theta}(\mathbf{a}|\mathbf{s},\omega)$

# will discuss more in the context of meta-learning!



 $\omega$ : stack location



 $\omega :$  walking direction



 $\omega$ : where to hit puck

images: Peng, van de Panne, Peters

forr

## Transferring Models and Value Functions

## The problem setting

Assumption: the dynamics  $p(\mathbf{s}_{t+1}|\mathbf{s}_t, \mathbf{a}_t)$  is the same in both domains but the reward function is different

#### **Common setting:**

- Autonomous car learns how to drive to a few destinations, and then has to navigate to a new one
- A kitchen robot learns to cook many different recipes, and then has to cook a new one in the same kitchen

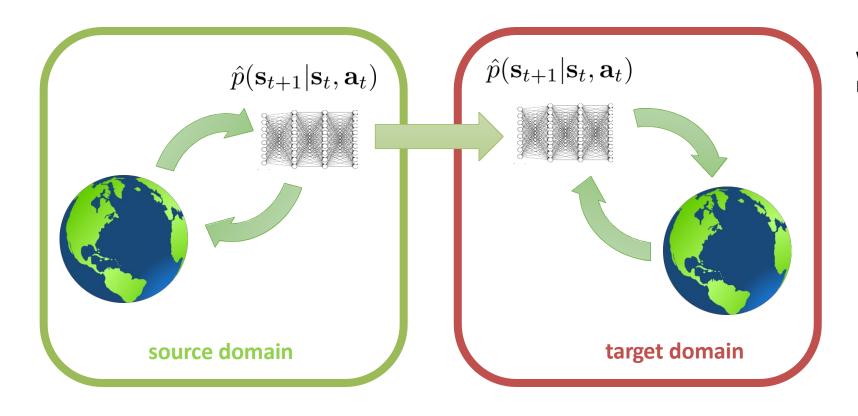
## What is the best object to transfer?

**Model:** very simple to transfer, since the model is already (in principle) independent of the reward

Value function: not straightforward to transfer by itself, since the value function entangles the dynamics and reward, but possible with a decomposition - what kind of "dynamics relevant" information does a value function contain?

**Policy:** possible to do with contextual policies, but otherwise tricky, because the policy contains the *least* dynamics information

## Transferring models



why might zero-shot transfer not always work?

## Transferring value functions

Not so fast! Value functions couple dynamics, rewards, and policies!

$$Q^{\pi}(\mathbf{s}, \mathbf{a}) = r(\mathbf{s}, \mathbf{a}) + \gamma E_{\mathbf{s}' \sim p(\mathbf{s}' | \mathbf{s}, \mathbf{a}), \mathbf{a}' \sim \pi(\mathbf{a}' | \mathbf{s}')} [Q^{\pi}(\mathbf{s}', \mathbf{a}')]$$

Is this really such a good idea? Yes, because of linearity

Key observation: the value function is linear in the reward function

let  $\mathbf{Pv}$  denote a vector  $\mathbf{w}$  of length |S||A| given by  $\mathbf{w}(\mathbf{s}, \mathbf{a}) = E_{\mathbf{s}' \sim p(\mathbf{s}'|\mathbf{s}, \mathbf{a})}[\mathbf{v}(\mathbf{s}')]$ 

let  $\mathbf{P}^{\pi}\mathbf{v}$  denote a vector  $\mathbf{w}$  of length |S||A| given by  $\mathbf{w}(\mathbf{s}, \mathbf{a}) = E_{\mathbf{s}' \sim p(\mathbf{s}'|\mathbf{s}, \mathbf{a}), \mathbf{a}' \sim \pi(\mathbf{a}'|\mathbf{s}')}[\mathbf{v}(\mathbf{s}', \mathbf{a}')]$ 

## Successor representations & successor features

 $Q^{\pi} = (\mathbf{I} - \gamma \mathbf{P}^{\pi})^{-1} r$ 

let  $\phi$  be a  $|S||A| \times N$  feature matrix

let  $\psi$  be a  $|S||A| \times N$  matrix such that  $\psi = (\mathbf{I} - \mathbf{P}^{\pi})^{-1}\phi$ if  $r = \phi w$ , then  $Q^{\pi} = \psi w$   $1 \times N$  row vector **Proof:**  $Q^{\pi} = (\mathbf{I} - \gamma \mathbf{P}^{\pi})^{-1}r$   $Q^{\pi} = (\mathbf{I} - \gamma \mathbf{P}^{\pi})^{-1}\phi w$  $Q^{\pi} = \psi w$ 

 $\psi_i$  is a "successor feature" for  $\phi_i$ 

## Successor representations & successor features

let  $\phi$  be a  $|S||A| \times N$  feature matrix

let  $\psi$  be a  $|S||A| \times N$  matrix such that  $\psi = (\mathbf{I} - \mathbf{P}^{\pi})^{-1}\phi$ 

if  $r = \phi w$ , then  $Q^{\pi} = \psi w$ 

For any *new* reward function, if we can fit  $r \approx \phi w$ , we get  $Q^{\pi} \approx \psi w$ 

**Important**: this holds for  $Q^{\pi}$ , not  $Q^{\star}$ ! why?

$$Q^{\star}(\mathbf{s}, \mathbf{a}) = r(\mathbf{s}, \mathbf{a}) + \gamma E_{\mathbf{s}' \sim p(\mathbf{s}' | \mathbf{s}, \mathbf{a})} [\max_{\mathbf{a}'} Q^{\pi}(\mathbf{s}', \mathbf{a}')]$$

this is no longer linear!

### Aside: successor representations

let  $\phi$  be a  $|S||A| \times N$  feature matrix

let  $\psi$  be a  $|S||A| \times N$  matrix such that  $\psi = (\mathbf{I} - \mathbf{P}^{\pi})^{-1}\phi$ 

if  $r = \phi w$ , then  $Q^{\pi} = \psi w$ 

what if  $\phi = \mathbf{I}$ ? for each  $(\mathbf{s}, \mathbf{a})$ , there is a  $\phi_{\mathbf{s}, \mathbf{a}} = \delta(\mathbf{s}, \mathbf{a})$ 

then we can show that  $\psi_{\mathbf{s}',\mathbf{a}'}(\mathbf{s},\mathbf{a})$  predicts probability of landing in  $(\mathbf{s}',\mathbf{a}')$  from  $(\mathbf{s},\mathbf{a})$  under discount  $\gamma$ 

**S**<sub>1</sub> **S**<sub>2</sub> **S**<sub>3</sub> 
$$\gamma = 0.9 \quad \psi_{\mathbf{s}_3}(\mathbf{s}_1) = 0.9^2$$

Dayan. Improving generalization for temporal difference learning: The successor representation. 1993.

## Transfer with successor features

Simplest use: evaluation

- 1. get small amount of data  $(\mathbf{s}_i, \mathbf{a}_i, r_i, \mathbf{s}'_i)$  in new MDP
- 2. fit w such that  $\phi(\mathbf{s}_i, \mathbf{a}_i) w \approx r_i$  (linear regression)
- 3. initialize  $Q^{\pi}(\mathbf{s}, \mathbf{a}) = \psi(\mathbf{s}, \mathbf{a})w$
- 4. finetune  $\pi$  and  $Q^{\pi}$  with any RL method

More sophisticated use: train multiple  $\psi^{\pi_i}$  functions for different  $\pi_i$ choose initial policy  $\pi(\mathbf{s}) = \arg \max_{\mathbf{a}} \max_i \psi^{\pi_i}(\mathbf{s}, \mathbf{a}) w$ this provides a *better* initial policy in general

For more details, see: Barreto et al., Successor Features for Transfer in Reinforcement Learning

## Recap

#### No single solution! Survey of various recent research papers

- 1. Forward transfer: train on one task, transfer to a new task
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- 2. Multi-task transfer: train on many tasks, transfer to a new task
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